## ABSTRACT

We propose a conjecture for \$2\$-factors of cubic graphs, which asserts that for any even \$k\geq 4\$, every bridgeless cubic graph having only \$k\$-cycles in each \$2\$-factor is Hamiltonian, that is, it is \$2\$-factor hamiltonian.

We prove that every bridgeless cubic graph having only \$8\$-cycles in each \$2\$-factor is isomorphic to the unique Hamiltonian graph.

Furthermore, we prove that a bridgeless cubic planar graph \$G\$ has only \$k\$-cycles in each \$2\$-factor if and only if \$k=4\$ and \$G\$ is the complete graph of order \$4\$.